



## 6. Check for adequate bearing

$$R_1 = R_2 = V_{\max} = 1,950 \text{ lb}$$

$$f_{c\perp} = \frac{R}{A_b} = \frac{1,950 \text{ lb}}{(2)(1.5 \text{ in})(\ell_b)} = \frac{650}{\ell_b}$$

$$f_{c\perp} \leq F_{c\perp}'$$

$$\frac{650}{\ell_b} = 335$$

$$\ell_b = 1.9 \text{ in} \quad \text{OK for bearing, use 2-2x4 jack studs } (\ell_b = 3 \text{ in})$$

## 7. Check deflection

$$\rho_{\max} = \frac{5w\ell^4}{384EI} = \frac{5(600 \text{ plf})(6.5 \text{ ft})^4 (1,728 \text{ in}^3 / \text{ft}^3)}{384(1.1 \times 10^6 \text{ psi})[(98.9 \text{ in}^4)(2)]} = 0.11 \text{ in}$$

$$\rho_{\text{all}} = L/240 = \frac{(6.5 \text{ ft})(12 \text{ in} / \text{ft})}{240} = 0.325 \text{ in}$$

$$\rho_{\max} < \rho_{\text{all}}$$

**Conclusion**

Using a system-based header design approach, a 2-2x10 header of No. 2 Spruce-Pine-Fir is found to be adequate for the 6 ft-3 in span opening. The loading condition is common to the first story of a typical two-story residential building. Using a stronger species or grade of lumber would allow the use of a 2-2x8 header. Depending on the application and potential savings, it may be more cost-effective to use the header tables found in a typical residential building code. For cost-effective ideas and concepts that allow for reduced header loads and sizes, refer to *Cost Effective Home Building: A Design and Construction Handbook* (NAHBRC, 1994). The document also contains convenient header span tables. For headers that are not part of a floor-band joist system, the design approach of this example is still relevant and similar to that used for floor girders. However, the 1.8 system factor used here would not apply, and the double top plate factor would apply only as appropriate.

**EXAMPLE 5.8****Column Design****Given**

Basement column supporting a floor girder  
 Spruce-Pine-Fir, No. 2 Grade  
 Axial design load is 4,800 lbs (D + L)  
 Column height is 7.3 ft (unsupported)

**Find**

Adequacy of a 4x4 solid column

**Solution**

- Determine tabulated design values by using the NDS-S (Table 4A)

$$\begin{aligned} F_c &= 1,150 \text{ psi} \\ E &= 1.4 \times 10^6 \text{ psi} \end{aligned}$$

- Lumber property adjustments (Section 5.2.4):

$$\begin{aligned} C_D &= 1.0 \\ C_F &= 1.15 \text{ for } F_c \end{aligned}$$

- Calculate adjusted compressive capacity (NDS•3.7):

Trial 4x4

$$\begin{aligned} F_c^* &= F_c C_D C_F = 1,150 \text{ psi} (1.0)(1.15) = 1,323 \text{ psi} \\ E' &= E = 1.4 \times 10^6 \text{ psi} \\ K_{cE} &= 0.3 \text{ for visually graded} \\ c &= 0.8 \text{ for sawn lumber} \end{aligned}$$

$$F_{cE} = \frac{K_{cE} E'}{\left(\frac{l_e}{d}\right)^2} = \frac{0.3(1.4 \times 10^6 \text{ psi})}{\left(\frac{7.3 \text{ ft} (12 \text{ in / ft})}{3.5 \text{ in}}\right)^2} = 670 \text{ psi}$$

$$\begin{aligned} C_p &= \frac{1 + \left(\frac{F_{cE}}{F_c^*}\right)}{2c} - \sqrt{\left[\frac{1 + \left(\frac{F_{cE}}{F_c^*}\right)}{2c}\right]^2 - \frac{F_{cE}}{F_c^*}} \\ &= \frac{1 + \left(\frac{670}{1,323}\right)}{2(0.8)} - \sqrt{\left[\frac{1 + \left(\frac{670}{1,323}\right)}{2(0.8)}\right]^2 - \frac{670}{1,323}} = 0.44 \end{aligned}$$

$$\begin{aligned} F_c' &= F_c C_D C_F C_p = (1,150 \text{ psi})(1.0)(1.15)(0.44) = 582 \text{ psi} \\ P_{all} &= F_c' A = (582 \text{ psi})(3.5 \text{ in})(3.5 \text{ in}) = 7,129 \text{ lb} > 4,800 \text{ lb} \\ &\text{OK} \end{aligned}$$